Propulsion

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Fluid Momentum and Reactive Force

- Propulsion devices
 - * Propellers
 - * Chemical rockets

* Turbojet engines, fan jets, ramjets, scram jets, etc



The thrust generated is given by:

 $T = \dot{m}u_e$

The above equation is true only if the exit pressure equals the atmospheric pressure.

Propellers





For an aircraft, the big advantage of using a propeller rather than rocket is that most of the propellent need not be carried on the vehicle.

It implies that aircraft can travel greater distances before refueling.

Much better propulsion efficiency is possible with a propeller than with a rocket.

Propellers



The task of a propeller is to accelerate an airstream from approach velocity u to exhaust velocity ue.
The thrust developed by a propeller is given by: T = m_a(u_e - u)



U_t: blade speed *u*: air approach velocity *u_e*: axial component of leaving velocity *w*_{1,2t}: velocities relative to blade approaching & leaving



Momentum theory is based on inviscid, incompressible flow.
 A streamtube, extending to infinity, exactly encompasses the propeller disk.

- * All rotation within the stream tube is neglected.
- * The flow velocity is assumed uniform over each cross section of the streamtube.
- * The pressure is assumed uniform over each cross section of the streamtube.



Using conservation of mass, $\rho V_d A_p = \rho (V_\infty + V_i) \overline{A_p}$

Now, $V_d = V_\infty + V_i$

Applying Bernoulli's equation along the streamline shown above,

$$\frac{p_{\infty}}{\rho} + \frac{V_{\infty}^2}{2} = \frac{p_u}{\rho} + \frac{(V_{\infty} + V_i)^2}{2}$$



Likewise, for the streamline on the aft side of the propeller disk,

$$\frac{p_{\infty}}{\rho} + \frac{V_S^2}{2} = \frac{p_d}{\rho} + \frac{(V_{\infty} + V_i)^2}{2}; \quad V_s: \quad slipstream \ velocity$$

The thrust acting on the prop circle can be written as

$$T = A_p(p_d - p_u)$$



The brake power, P, that is required to turn the propeller is given by:

$$P = \dot{m} \left(h_s - h_\infty + \frac{V_s^2}{2} - \frac{V_\infty^2}{2} \right)$$

The induced velocity is given by

$$V_i = \sqrt{\frac{V_\infty^2}{4} + \frac{T}{2A_p\rho} - \frac{V_\infty}{2}}$$

Solution The major drawback of the propeller momentum theory is the failure to account for the rotation of the fluid within the slipstream.

